

ECE 340
Lecture 23 : Qualitative
Current Flow in a P-N
Junction

Class Outline:

- Qualitative Current Flow in a P-N Junction

Key Questions

- What happens to a p-n junction under a forward bias?
- What happens to a p-n junction under a reverse bias?
- What physical processes are in play?
- What can I safely ignore when I apply a bias?



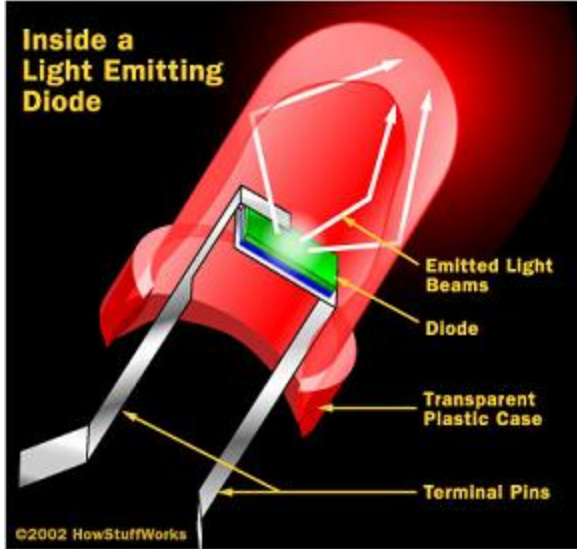
Qualitative Current Flow in a P-N Junction

What do we know about **p-n junctions** so far...

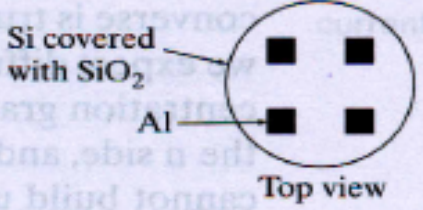
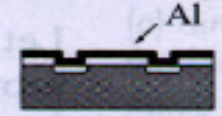
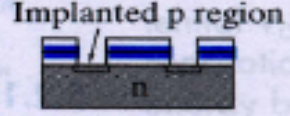
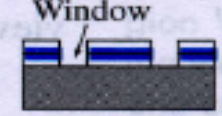
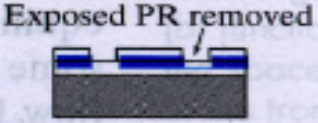
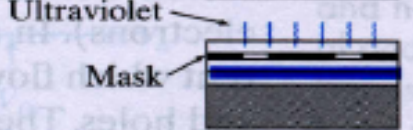
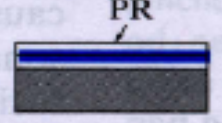
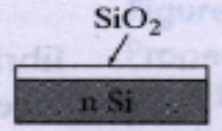
We know how to make them: \longrightarrow

We can make interesting things out of them...

LED



1. Oxidize the Si sample
2. Apply a layer of positive photoresist (PR)
3. Expose PR through mask A
4. Remove exposed PR
5. Use RIE to remove SiO₂ in windows
6. Implant boron through windows in the PR and SiO₂ layers
7. Remove PR and sputter Al onto the surface
8. Using PR and mask B, repeat steps 2-4; etch away Al except in p-contact areas

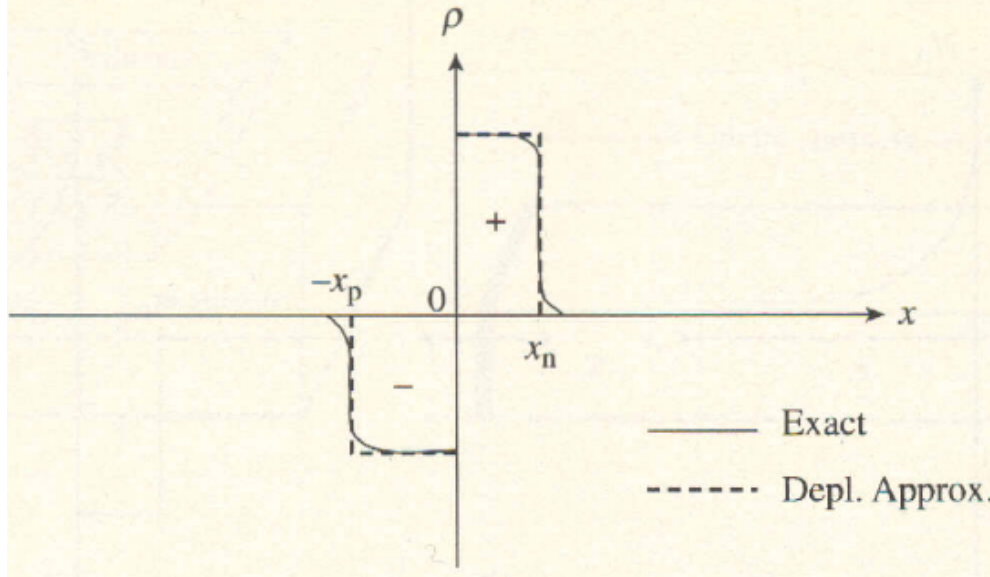
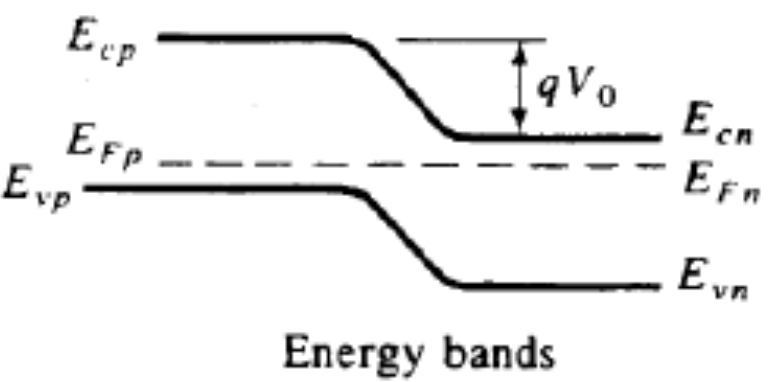


Photocells

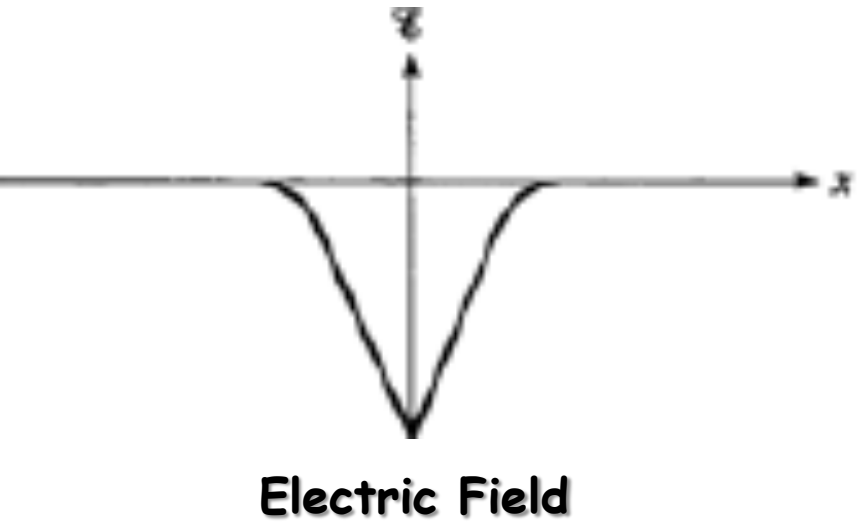


Qualitative Current Flow in a P-N Junction

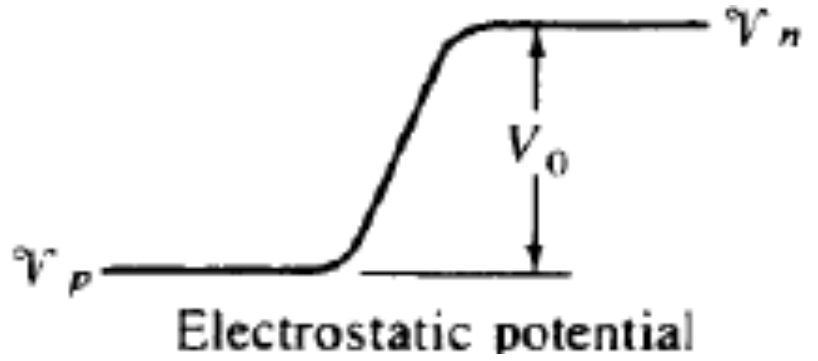
We understand the electrostatics:



Charge Density



Electric Field



Electrostatic potential



Qualitative Current Flow in a P-N Junction

We have a tentative game plan for solving p-n junction problems...

Plan for finding the **charge density**, **electric field**, and **potential**:

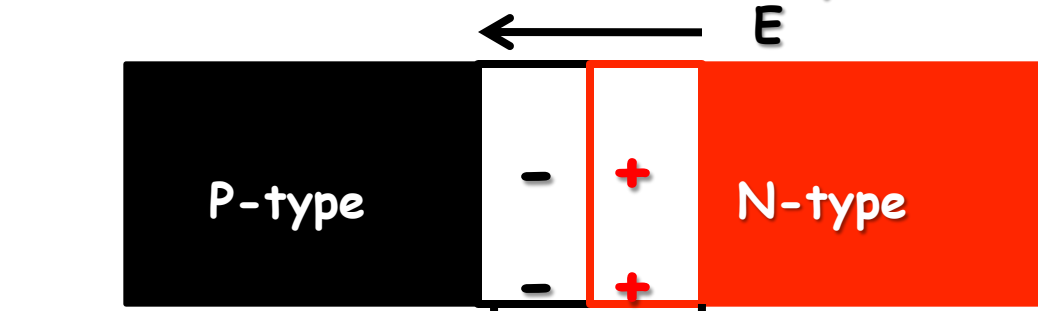
1. Find the **built-in potential**, V_0 .
2. Use the **depletion approximation** to find the **charge density**.
 - Gives an easy solution to the Poisson equation.
 - Depletion layer widths are still unknown.
3. Integrate the **charge density** to find the **electric field**.
 - Be sure to use the appropriate boundary conditions $E(-x_p) = E(x_n) = 0$.
4. Integrate the **electric field** to find the **potential**.
 - Boundary conditions are $V(-x_p) = 0$ and $V(x_n) = V_0$.
5. Solve for the **depletion layer widths** ($-x_p$ and x_n).

• Use the fact that for $E(x)$ to be continuous at $x = 0$, $N_A x_p = N_D x_n$.



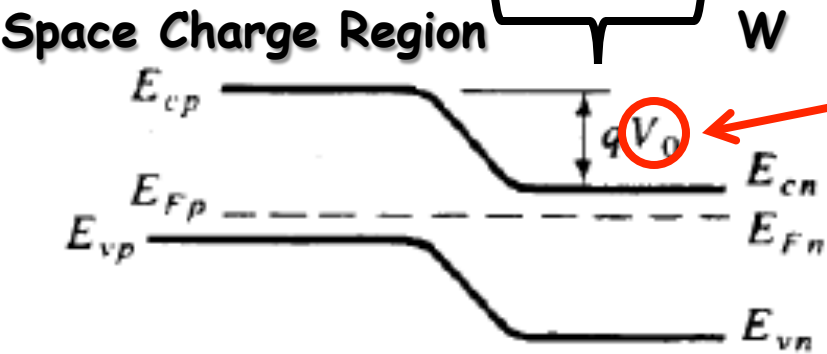
Qualitative Current Flow in a P-N Junction

We know that currents flow in **equilibrium**...

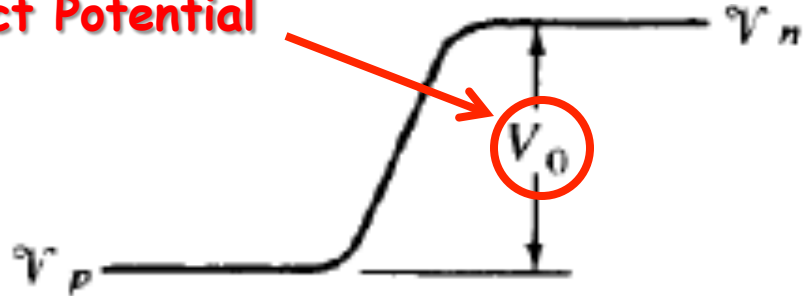


$$J_p(\text{drift}) + J_p(\text{diff.}) = 0$$

$$J_n(\text{drift}) + J_n(\text{diff.}) = 0$$

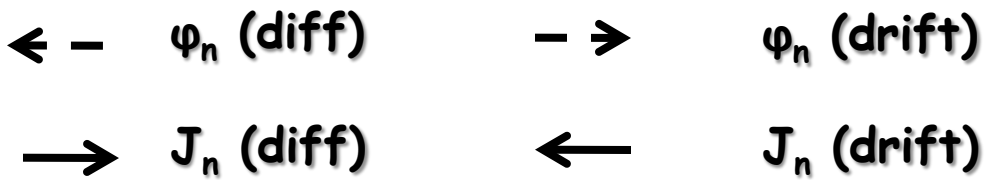
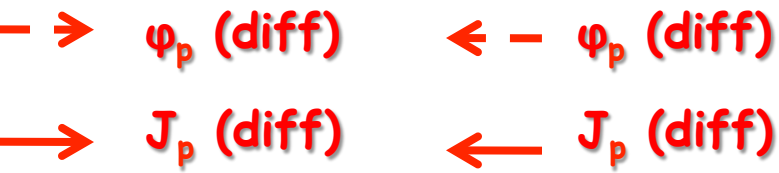


Contact Potential



Energy bands

Electrostatic potential



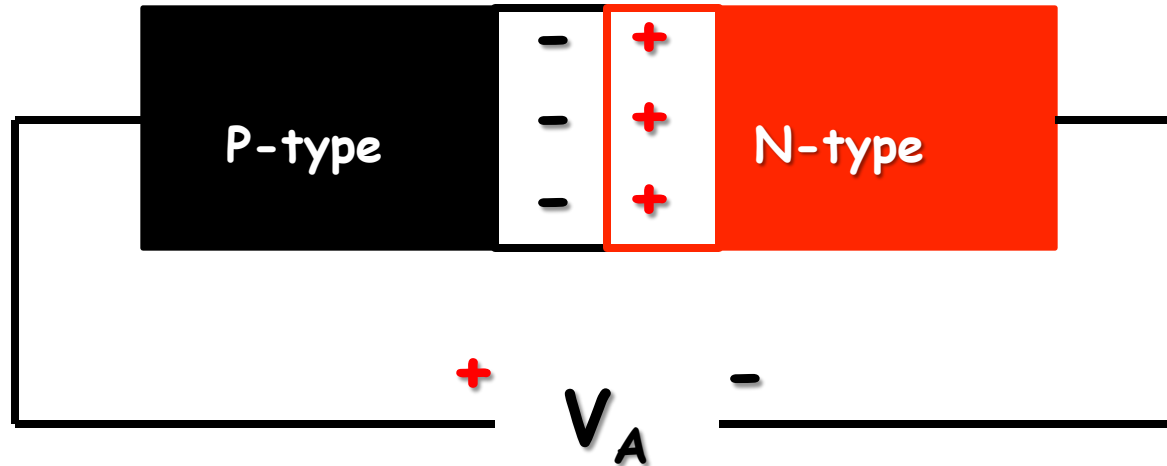
Dashed Arrows = Particle Flow

Solid Arrows = Resulting Currents



Qualitative Current Flow in a P-N Junction

Now apply a bias. What do we know?



Things we know or will assume:

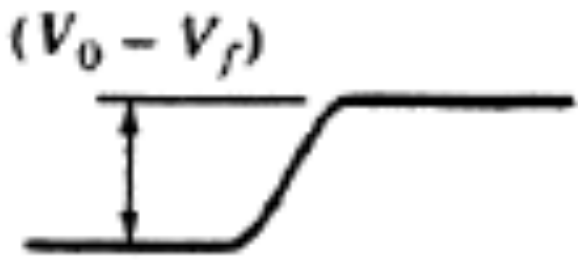
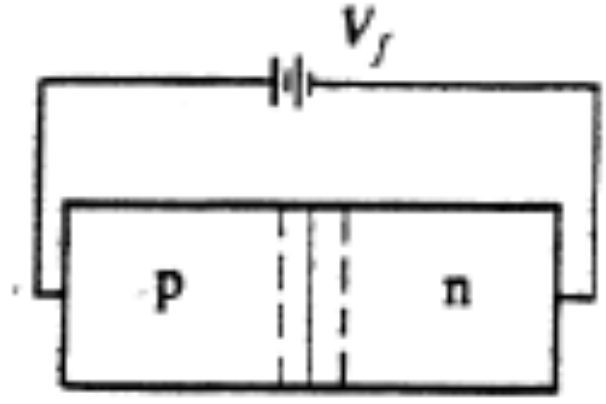
- We are assuming that the contacts to the p-n junction are ohmic.
- We are assuming that there is no voltage drop in the bulk of the p and n regions (low level injection).
- We assume that all of the voltage is dropped across the space charge region.
- We assume that $V_A < V_0$ otherwise we cannot assume low level injection.



Qualitative Current Flow in a P-N Junction

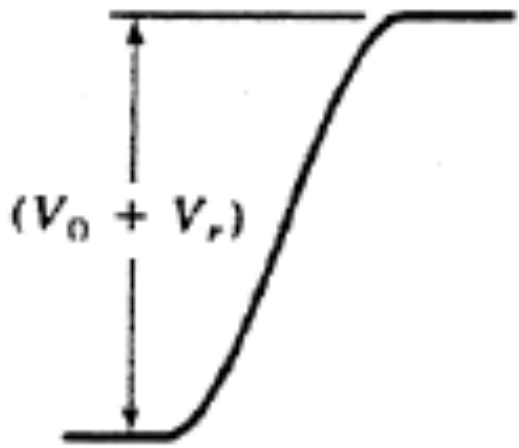
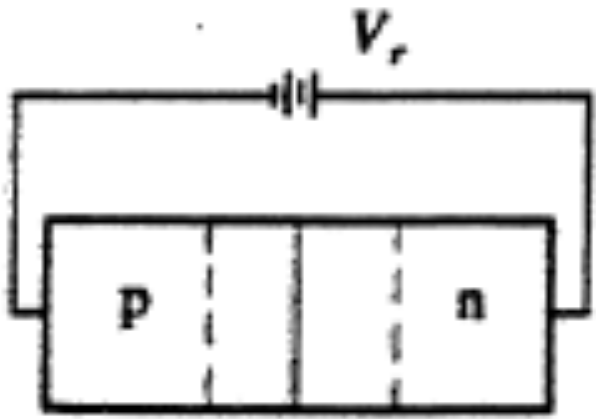
So what will happen to the **potential**...

Forward Bias ($V = V_F$):



- The potential barrier is lowered for a forward bias.

Reverse Bias ($V = -V_R$):



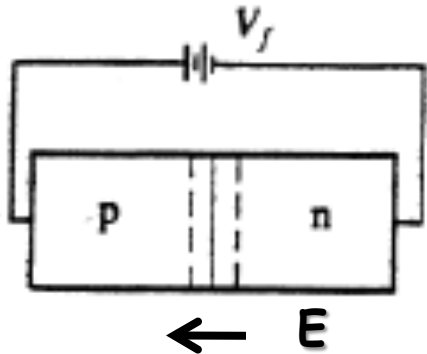
- The potential barrier is raised for a reverse bias.



Qualitative Current Flow in a P-N Junction

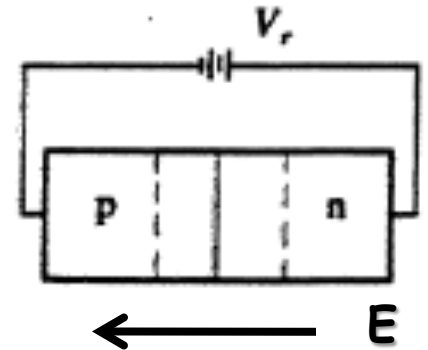
What will happen to the **electric field and space charge region**?

Forward Bias ($V = V_F$):



$$W = \left[\frac{2\epsilon V_0 (N_a + N_d)}{q N_a N_d} \right]^{1/2} = \left[\frac{2\epsilon V_0}{q} \left(\frac{1}{N_a} + \frac{1}{N_d} \right) \right]^{1/2}$$

Reverse Bias ($V = -V_R$):



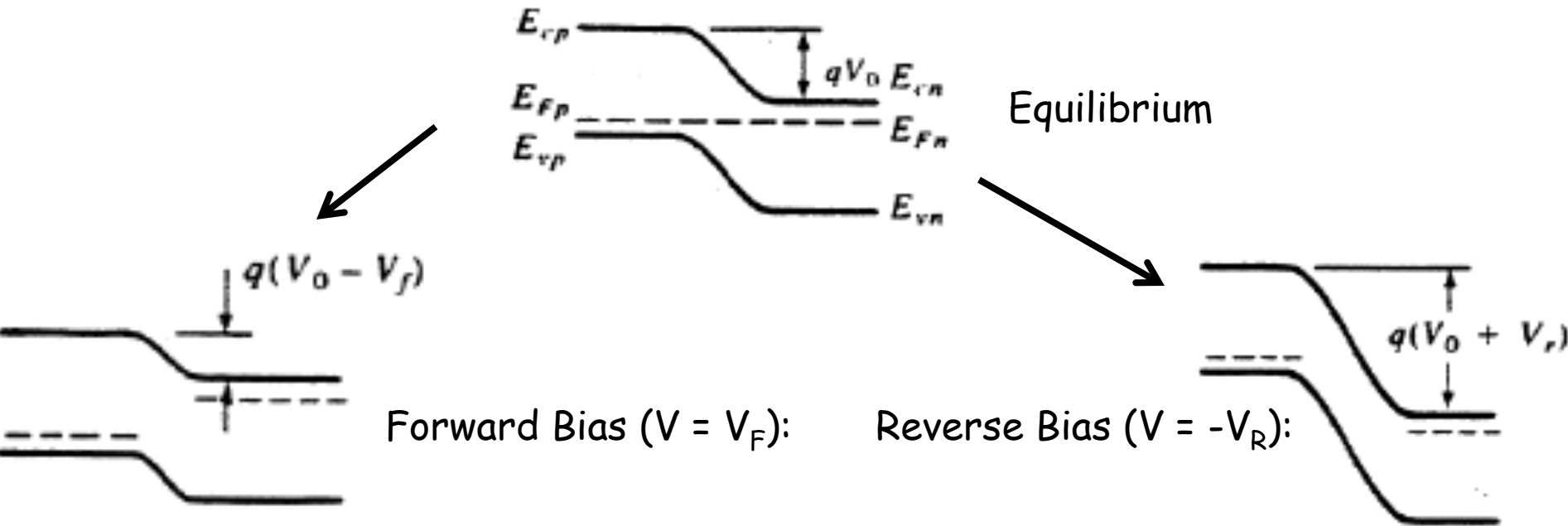
When we apply a bias we are changing the electric field which will change the space charge region as we still need the proper number of positive and negative charges.

- Apply a **positive bias** and we will **decrease the electric field** because the bias potential will oppose it. We also expect a **smaller space charge region** because of the smaller field with reduced uncompensated charge.
- Apply a **negative charge** and we will **increase the electric field** as the bias potential is now in the same direction as the field. We expect a **larger space charge region** because we now have more uncompensated charge to balance.



Qualitative Current Flow in a P-N Junction

What happens to the **energy bands**?



- We can already anticipate the change in the energy bands as a **forward bias** will bring the **bands closer** to one another.

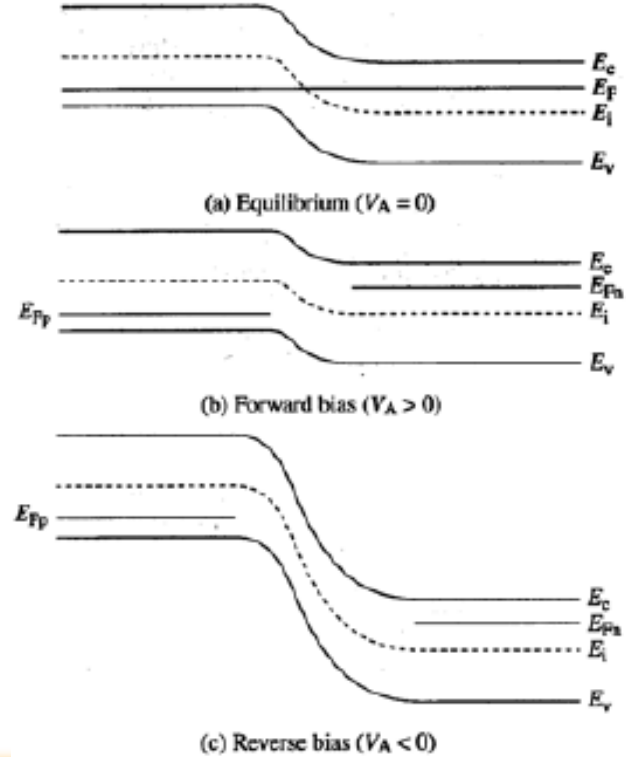
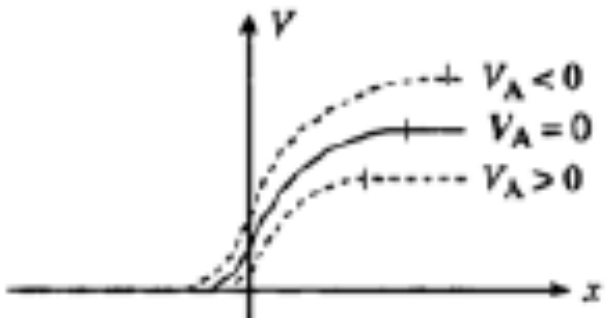
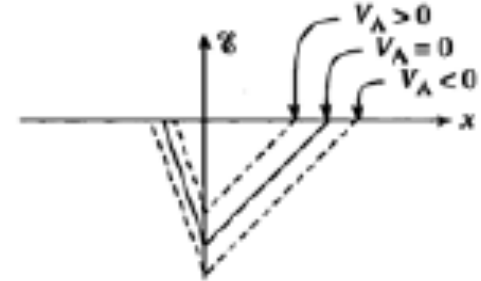
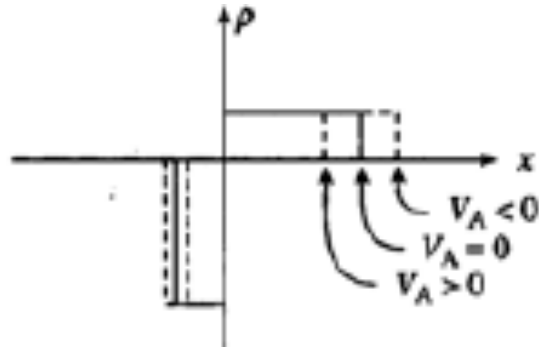
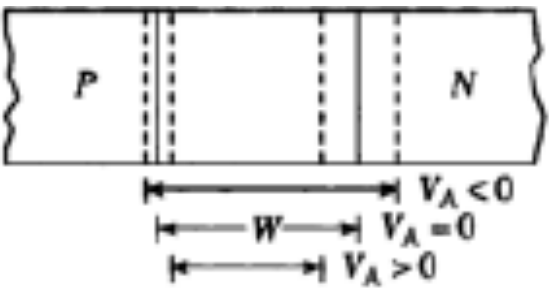
- Naturally, if we then apply a **reverse bias** the energy bands, the bands will **separate farther apart**.

- The bias also separates the Fermi levels with $E_{FN} > E_{FP}$ by V_f for **forward bias** and $E_{FN} < E_{FP}$ by V_r for **reverse bias**.



Qualitative Current Flow in a P-N Junction

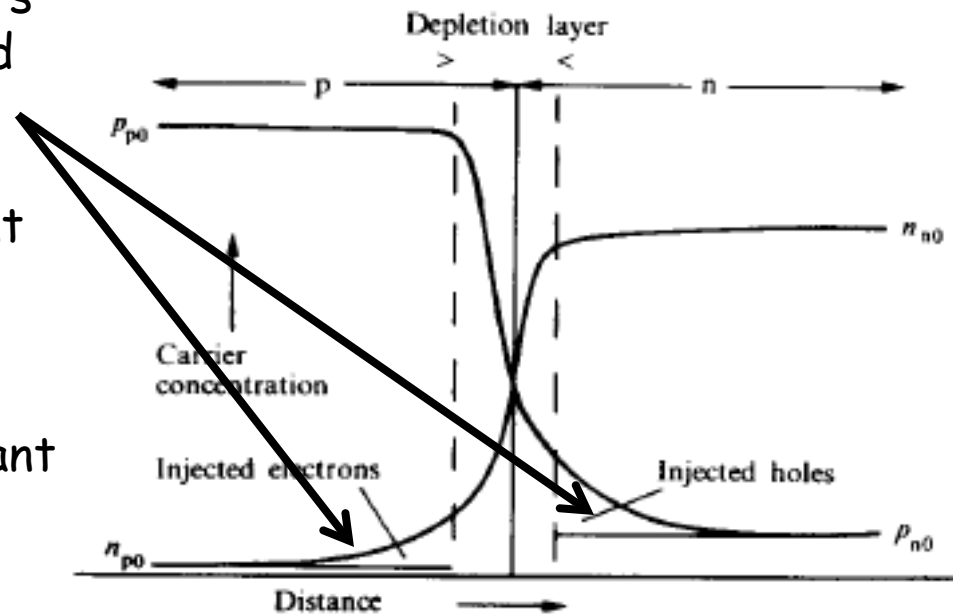
Let's summarize the electrostatic changes with applied bias...



Qualitative Current Flow in a P-N Junction

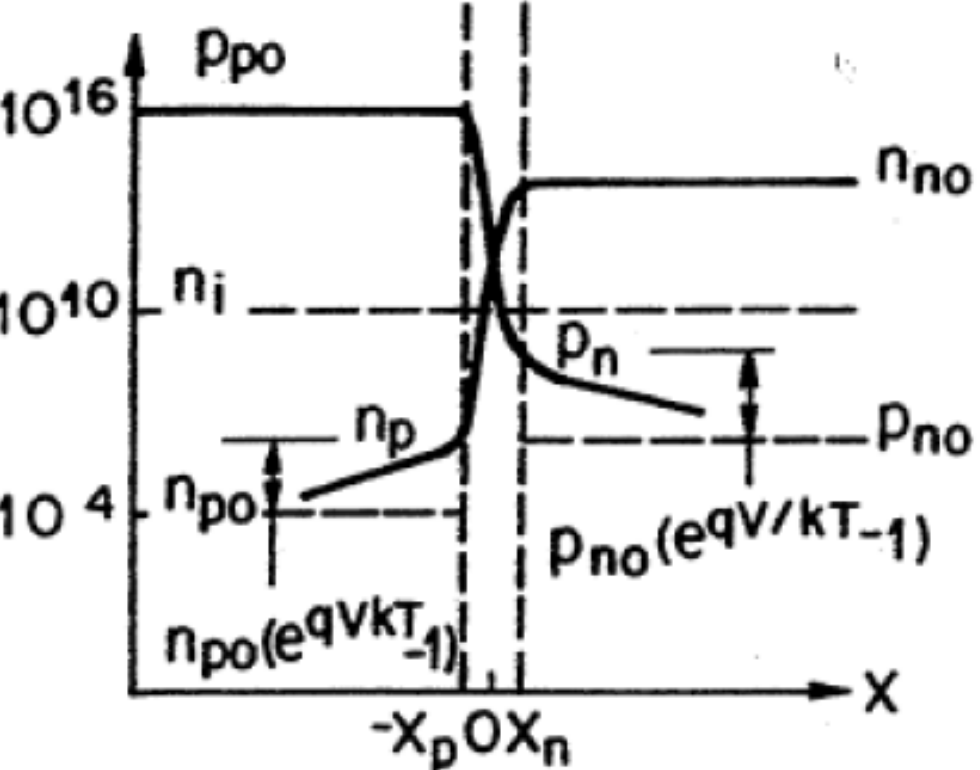
How should the **diffusion current** behave?

- The diffusion current is majority carriers on the n-side surmounting the barrier and crossing over to the p-side.
- Some high energy electrons can surmount the barrier at equilibrium.
- Under forward bias, both electrons and holes begin to diffuse creating a significant current.
- Under reverse bias, the barrier to diffusion is raised and very few carriers can diffuse from one region to another.
- Diffusion current is usually negligible for reverse bias.

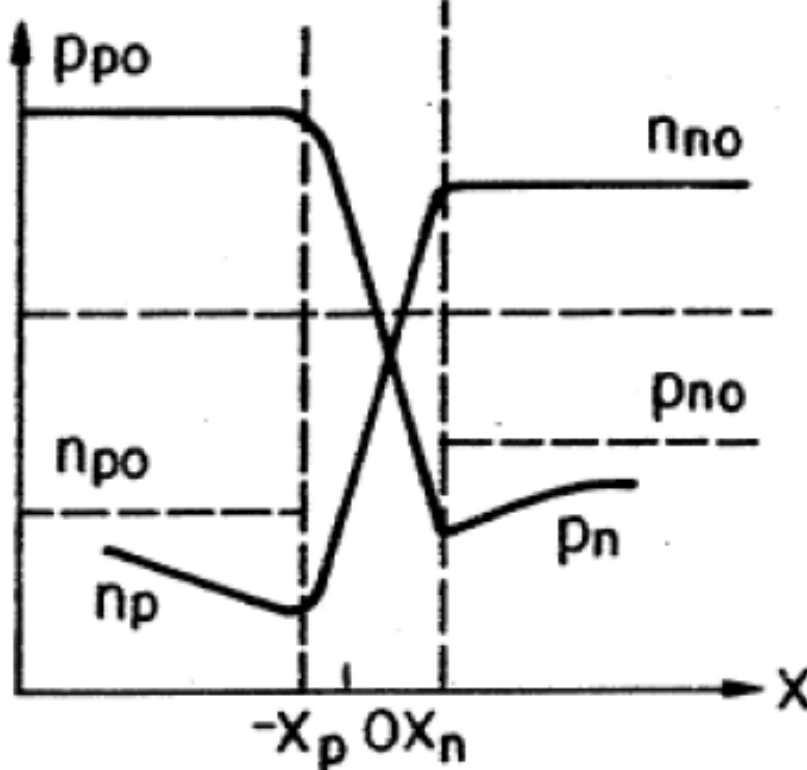


Qualitative Current Flow in a P-N Junction

Taking a closer look at the **forward and reverse bias carrier concentrations**...



Forward Bias

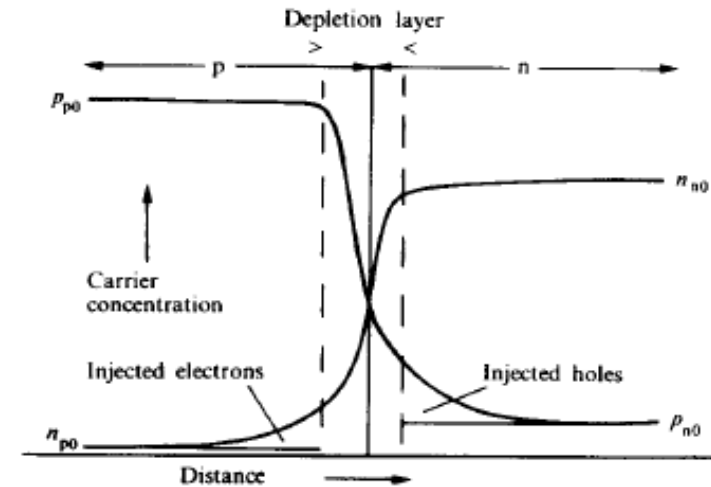


Reverse Bias

Qualitative Current Flow in a P-N Junction

Where there is diffusion, there is also **drift current**...

- The drift current is relatively insensitive to the height of the potential barrier.
- The drift current is not limited by how fast carriers are swept down the barrier but instead it is **limited by how often** they are swept down the barrier.
- Minority carriers wander too close to the space charge region and are swept across.
- This leads to a drift current.
- But there are not many carriers available to be swept across so this leads to a small current.
- Every minority carrier that participates will be swept across regardless of the size of the barrier.
- Minority carriers are generated by thermal excitation of EHPs.



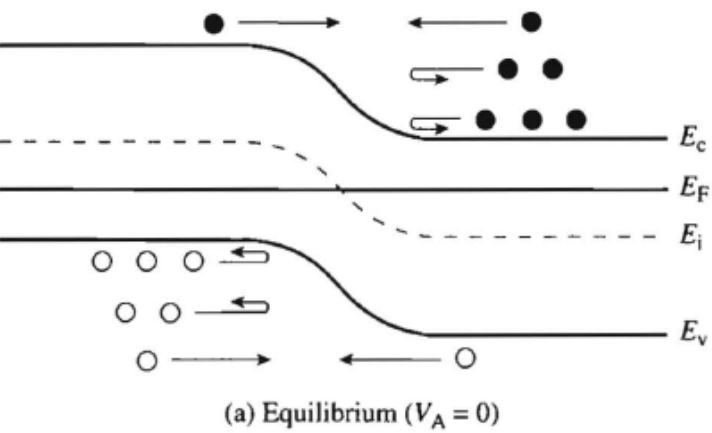
• **EHPs generated within L_p or L_n of the SCR will participate.**

• Referred to as **generation current.**

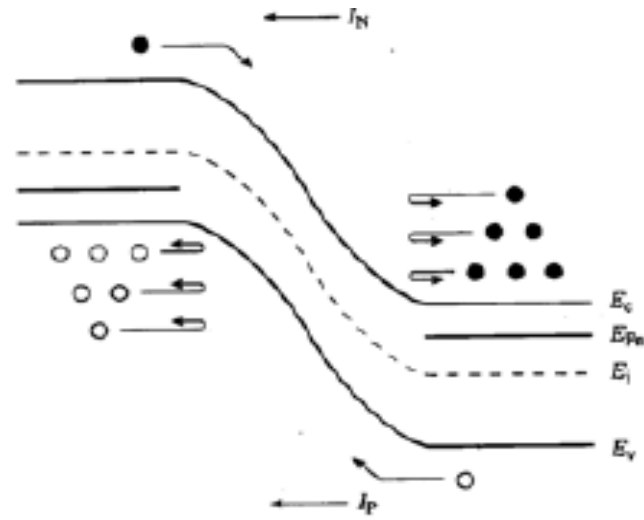


Qualitative Current Flow in a P-N Junction

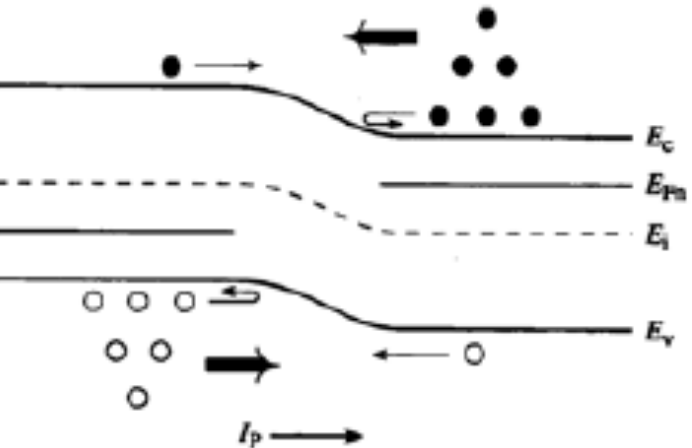
Summarizing the **total current** in the p-n junction...



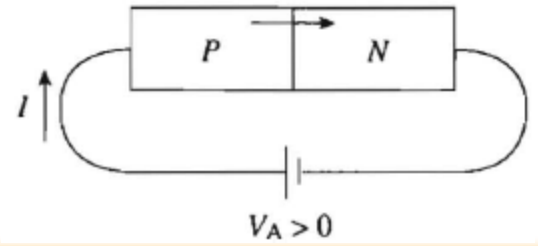
Equilibrium:
• No current flows



Reverse Bias:
• Both drift and diffusion currents are very small.
• Only current that flows is from the generation process..
• This current is bias independent.



Forward Bias:
• Large diffusion current from p to n



Qualitative Current Flow in a P-N Junction

Take a closer look at the **forward bias** regime...

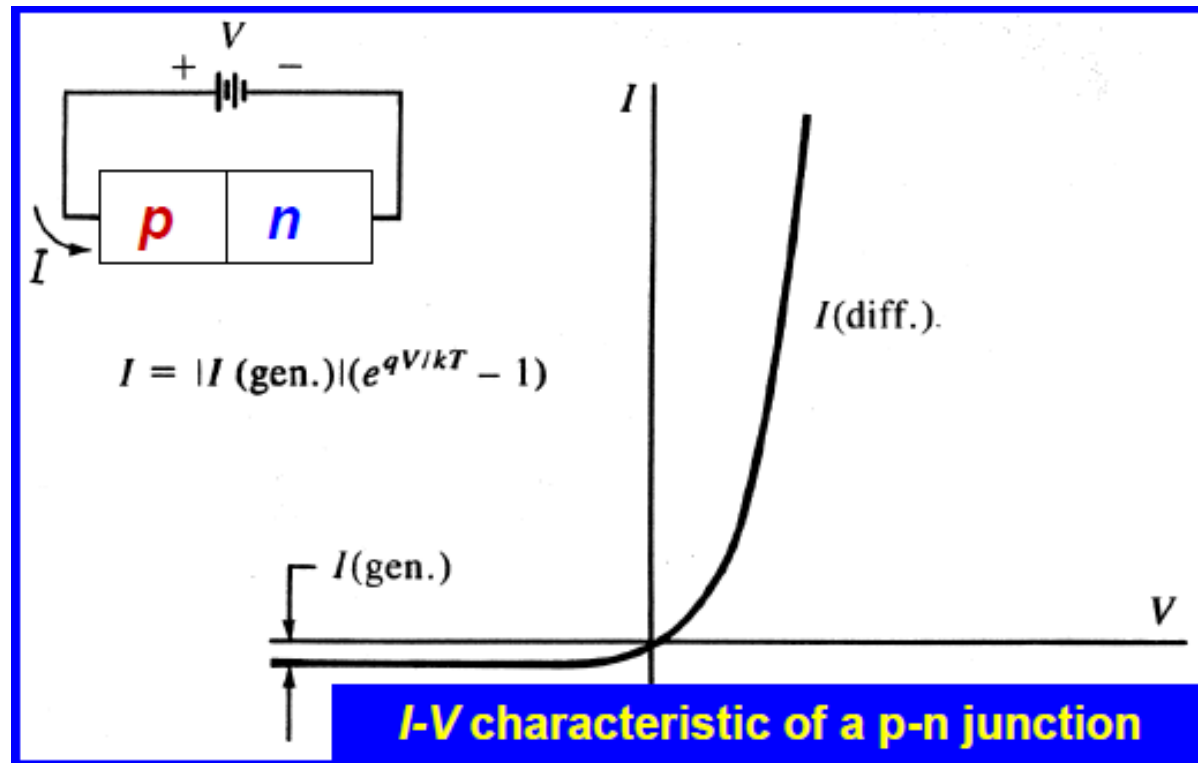
Forward bias increases the probability of diffusion across the junction exponentially.

$$I = I_0(e^{qV/kT} - 1)$$

Total current is the diffusion current minus the absolute value of the generation current.

At $V = 0$, the generation and diffusion currents cancel.

End result is a rectifying type of behavior seen in MS contacts.



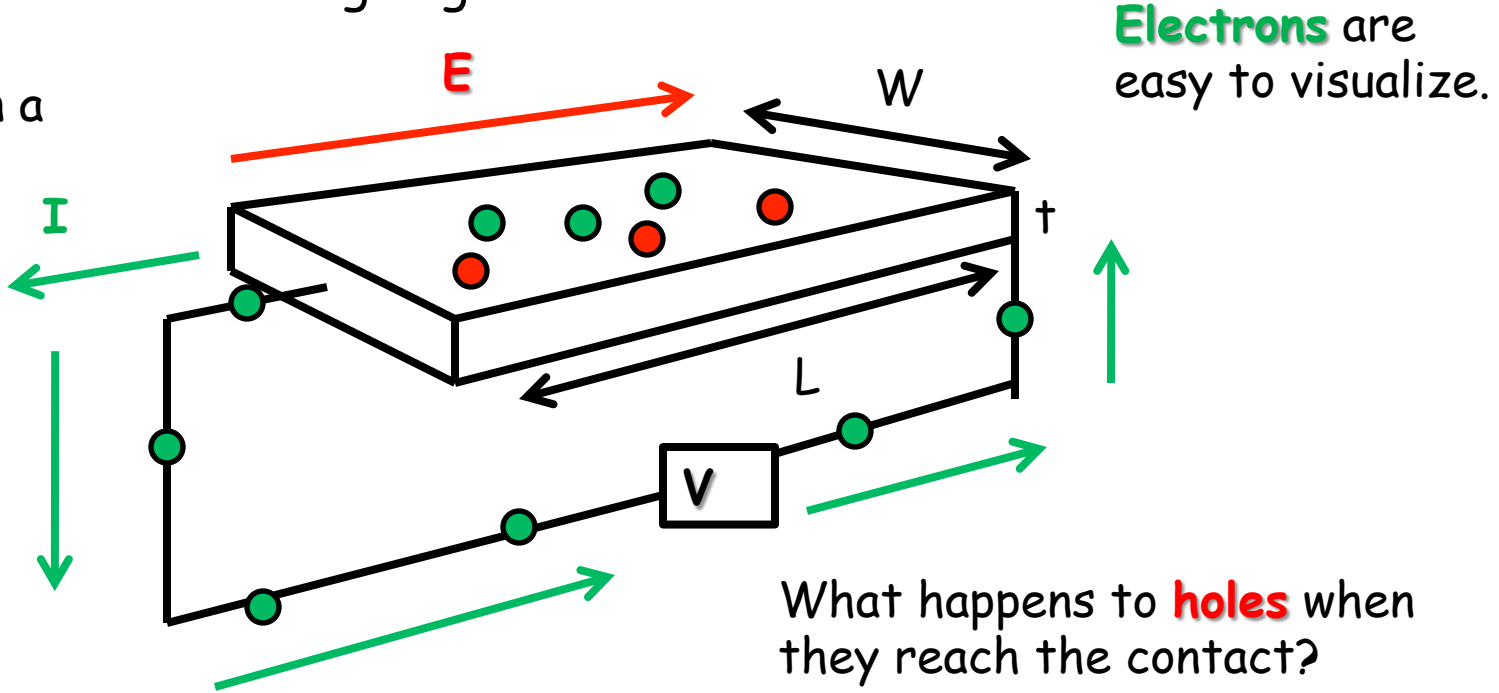
Qualitative Current Flow in a P-N Junction

Let's try to visualize what is going on...

Carrier motion in a material:

For this structure, we can use the dimensions to define the resistance:

$$R = \frac{\rho L}{wt} = \frac{L}{\sigma wt}$$



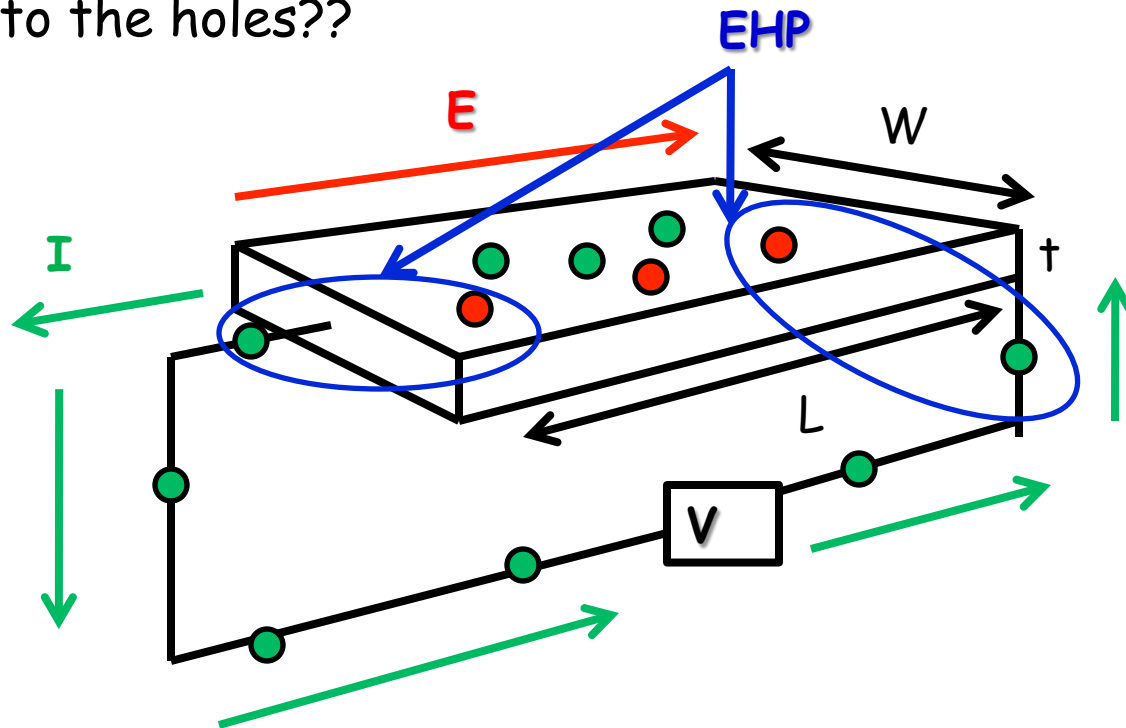
Electrons are easy to visualize.

- Carriers move in a group.
 - Electrons move against the electric field.
 - Holes move with the electric field.
- Convention makes the drift currents flow in the same direction.
- The contacts are considered ohmic
 - Perfect sources and sinks for carriers.
 - No tendency to inject either carrier.



Qualitative Current Flow in a P-N Junction

What happens to the holes??



- As the hole reaches the end of the semiconductor, it recombines with an electron which must be supplied by the external circuit.
- As one hole disappears, another hole must appear at the entrance of the circuit to conserve charge neutrality.
- So, we have the generation of an electron-hole pair when an electron leaves the semiconductor sample.
- The hole flows in while the electron flows out.

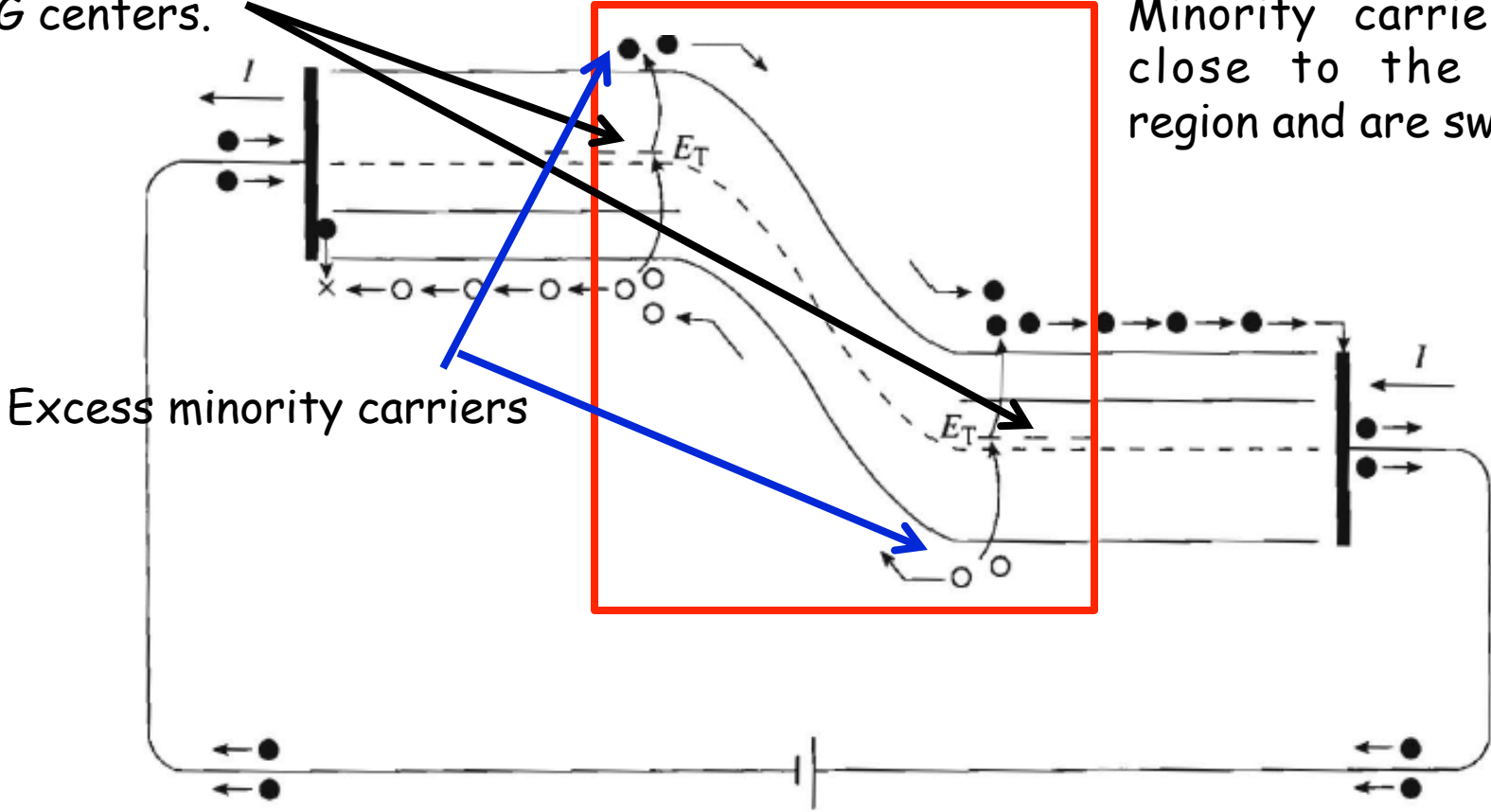


Qualitative Current Flow in a P-N Junction

Now look at the big picture of a p-n junction under bias...

R-G centers.

Minority carriers wander close to the depletion region and are swept away.



- When electrons are swept across the junction they are replaced by an electron generated from an R-G center. Similar for holes.
- Excess minority carriers set up a local field pushing carriers to the contacts.



Qualitative Current Flow in a P-N Junction

Let's solve a simple problem...

The electrostatic potential in the depletion region of a p-n junction under equilibrium conditions is determined to be:

$$V(x) = \frac{V_{bi}}{2} \left[1 + \sin\left(\frac{\pi x}{W}\right) \right] \quad -\frac{W}{2} \leq x \leq \frac{W}{2}$$

(a) Establish a relationship for and sketch the electric field in the depletion region.

(b) Establish a relationship for the charge density and sketch it.

(c) Invoke the depletion approximation, determine and sketch $N_D - N_A$ in the depletion region.



Qualitative Current Flow in a P-N Junction

Let's solve a hard problem...

A P-I-N diode is a three-region device with a middle region that is intrinsic and relatively narrow. Assuming that the p and n regions are uniformly doped and $N_D - N_A = 0$ in the intrinsic region:

- (a) Sketch the expected charge density, electric field, electrostatic potential and band diagram.
- (b) What is the built-in voltage drop between the p and n regions? Justify it.
- (c) Establish a quantitative relationship for the charge density, electric field, potential and the depletion widths.

